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# Statistical hypothesis testing

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# Steps:

- **Defining hypothesis**
  - **Sampling**
  - **Statistical inference**
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# Hypothesis:

A hypothesis is an assumption, an idea about something.

Exp)

- Today is rainy
  - I will receive full salary
  - Ali will pass the exam
  - 5<sup>th</sup> of December is windy
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# Statistical hypothesis:

Null Hypothesis  $H_0$

Alternative Hypothesis  $H_1$

$\left\{ \begin{array}{l} H_0: \text{today is rainy} \\ H_1: \text{today is not rainy} \end{array} \right.$

$\left\{ \begin{array}{l} H_0: \text{I will receive full salary} \\ H_1: \text{i will not receive full salary} \end{array} \right.$

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# Main hypothesis in statistics:

They are three generally:

$$\begin{cases} H_0: \mu = \mu_0 \\ H_1: \mu \neq \mu_0 \end{cases} +++++ + \begin{cases} H_0: \mu > \mu_0 \\ H_1: \mu \leq \mu_0 \end{cases} +++++ + \begin{cases} H_0: \mu < \mu_0 \\ H_1: \mu \geq \mu_0 \end{cases}$$



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# Sampling and calculation

- Take a sample of size  $n$
- Calculation of  $\bar{X}$
- Calculation of  $S^2$
- Finding the value of  $t(n-1, \alpha)$  \*\*or\*\*  $t(n-1, \frac{\alpha}{2})$



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## Rejection and acceptance region by (1-alfa)% of confidence

$$\begin{cases} H_0: \mu = \mu_0 \\ H_1: \mu \neq \mu_0 \end{cases} \Rightarrow \bar{X} < \mu_0 - \frac{S}{\sqrt{n}} t(n-1; \frac{\alpha}{2}) \text{ ** or ** } \bar{X} > \mu_0 + \frac{S}{\sqrt{n}} t$$

$$\begin{cases} H_0: \mu > \mu_0 \\ H_1: \mu \leq \mu_0 \end{cases} \Rightarrow \bar{X} < \mu_0 - \frac{S}{\sqrt{n}} t(n-1; \alpha)$$

$$\begin{cases} H_0: \mu < \mu_0 \\ H_1: \mu \geq \mu_0 \end{cases} \Rightarrow \bar{X} > \mu_0 + \frac{S}{\sqrt{n}} t(n-1; \alpha)$$

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# Example

I want to check whether the average age of the lecturers in Cihan is more than 30 or less than 30

$$\begin{cases} H_0: \mu > 30 \\ H_1: \mu \leq 30 \end{cases}$$



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**Thank you**

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